

# Practical Planar Metric Rectification

## applications

- Visual robot navigation
- pose estimation
- shape recognition, etc.

## problem

automatic metric rectification of a plane from *interimage* homographies

## requirements

- Computationally efficient, for real time rectification
- robust to image noise

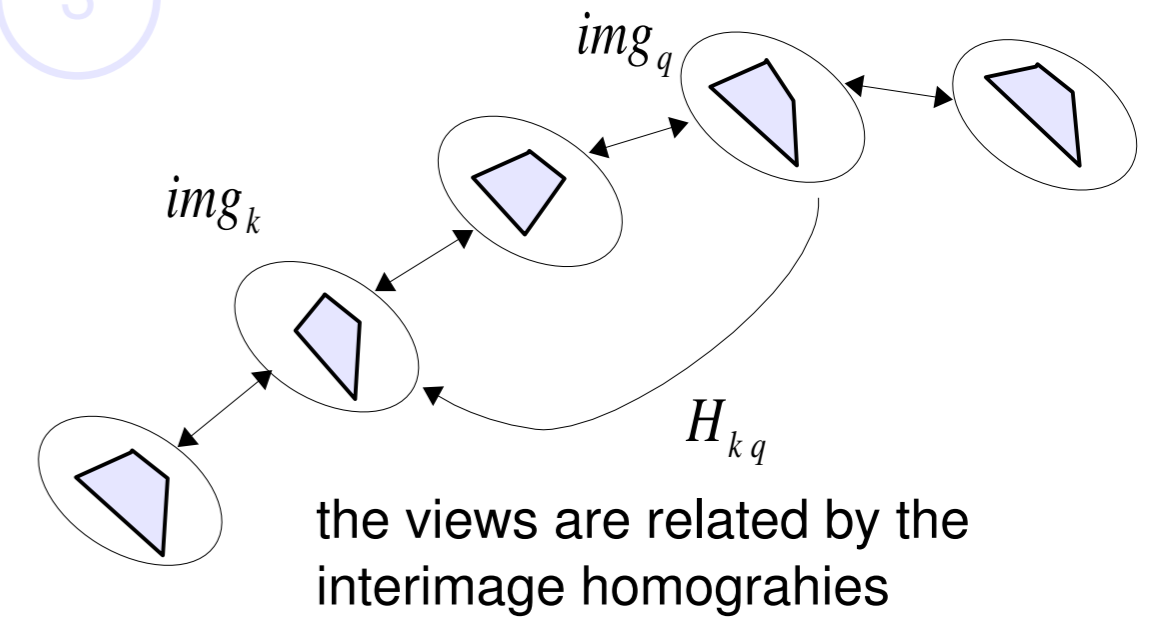
## general solution

- 1 - find the *circular points* (4 d.o.f.)
- difficult nonlinear optimization problem

## proposed solution

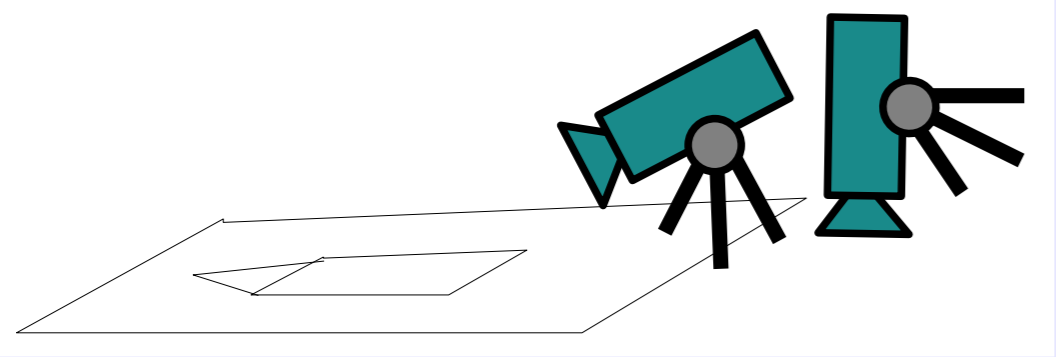
- 2 - assume  $diag(f, f, 1)$  camera
- easier optimization to find just the *horizon* of the plane (2 d.o.f.)
- even if the  $f$  of all views are unknown!

## image sequence

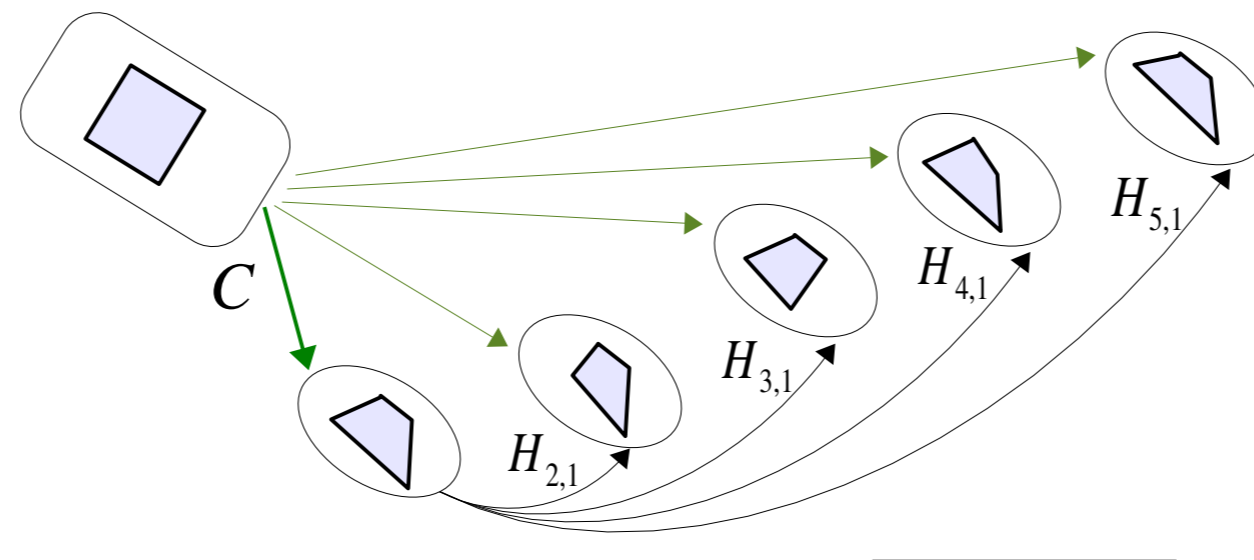


the solution  $C$  is a rotation which obtains a frontoparallel view

it has 3 essential d.o.f.:  $f$  and  $h = l'_\infty$



$C$  is related to the camera of an arbitrarily chosen view



$C$  converts image homographies into camera matrices:

## cost function

the homography floor-image  $C$  induced by a camera matrix verifies:

$$C^T \omega C = \begin{bmatrix} v & 0 & x \\ 0 & v & x \\ x & x & x \end{bmatrix}$$

and  $\omega$  can be deduced from  $C$  in a  $diag(f, f, 1)$  camera

## optimization

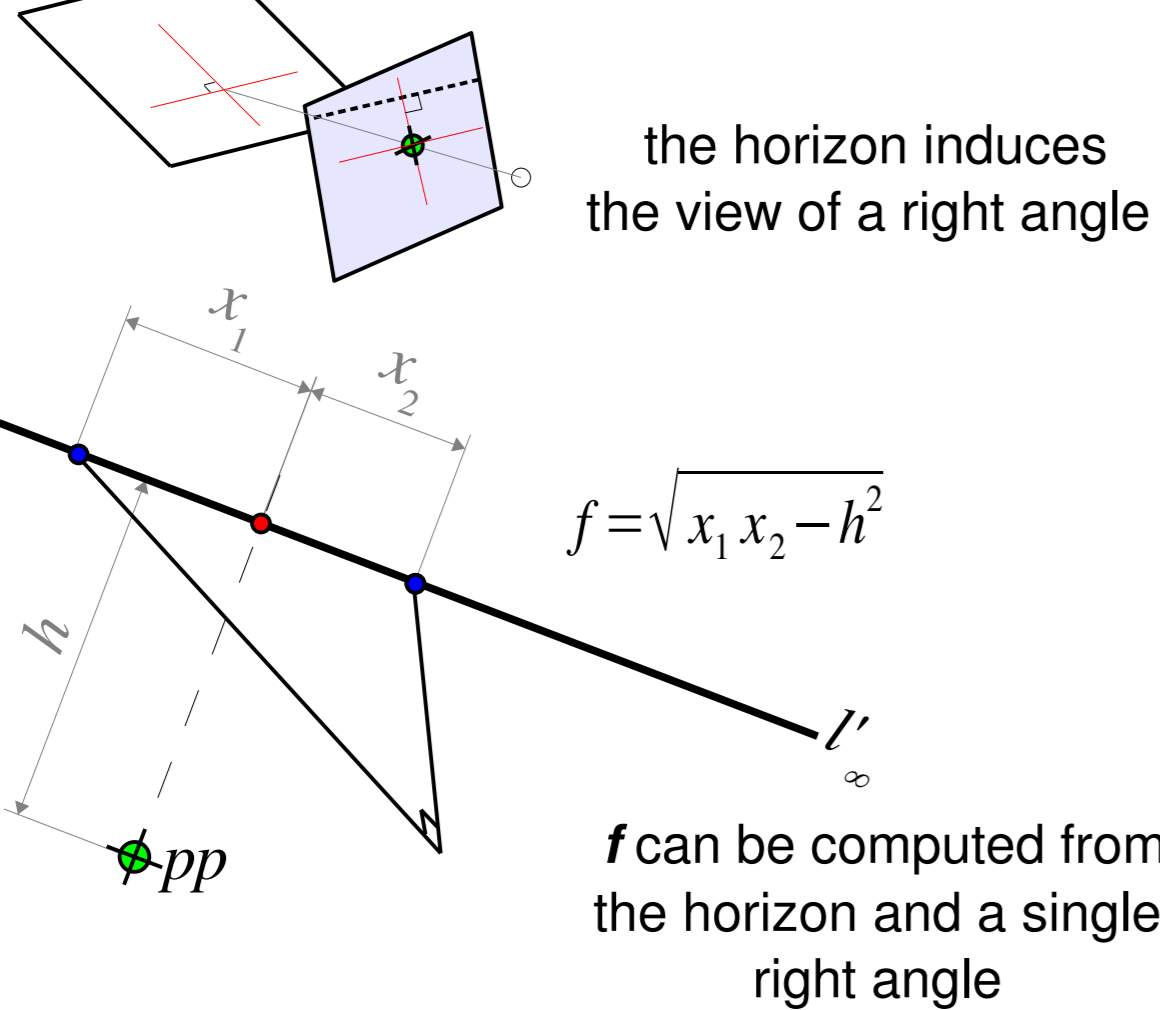
we search for the horizon  $h$  which induces  $f_1$  and  $C(h, f_1)$  such that all

$$H_{k,1} C(h, f_1)$$

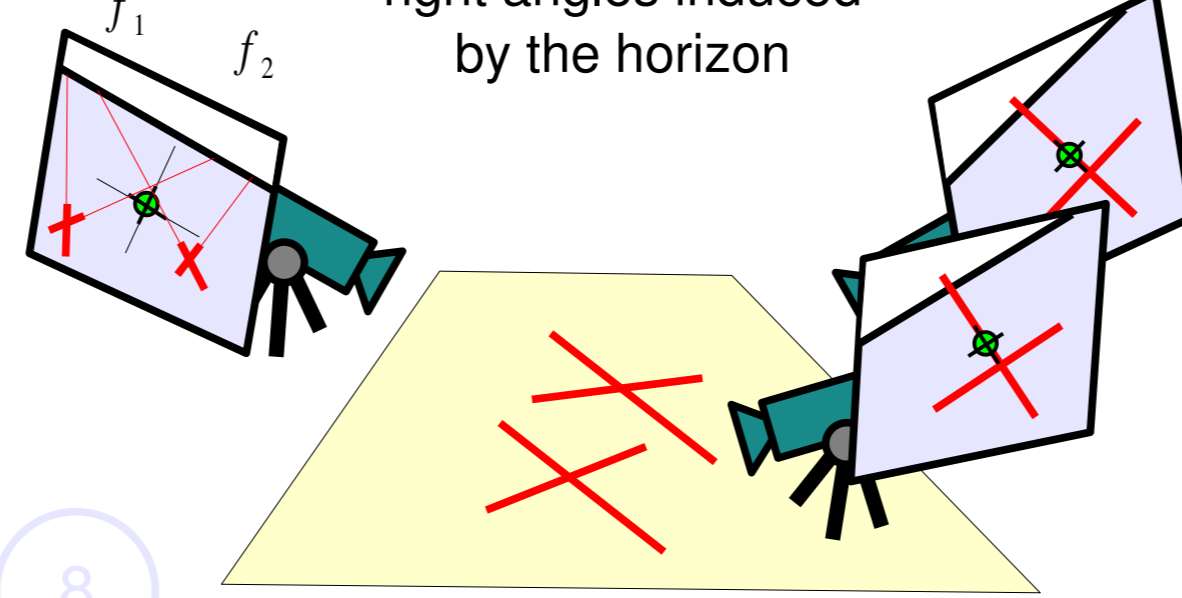
are consistent with camera homographies

## key idea

in a  $diag(f, f, 1)$  camera



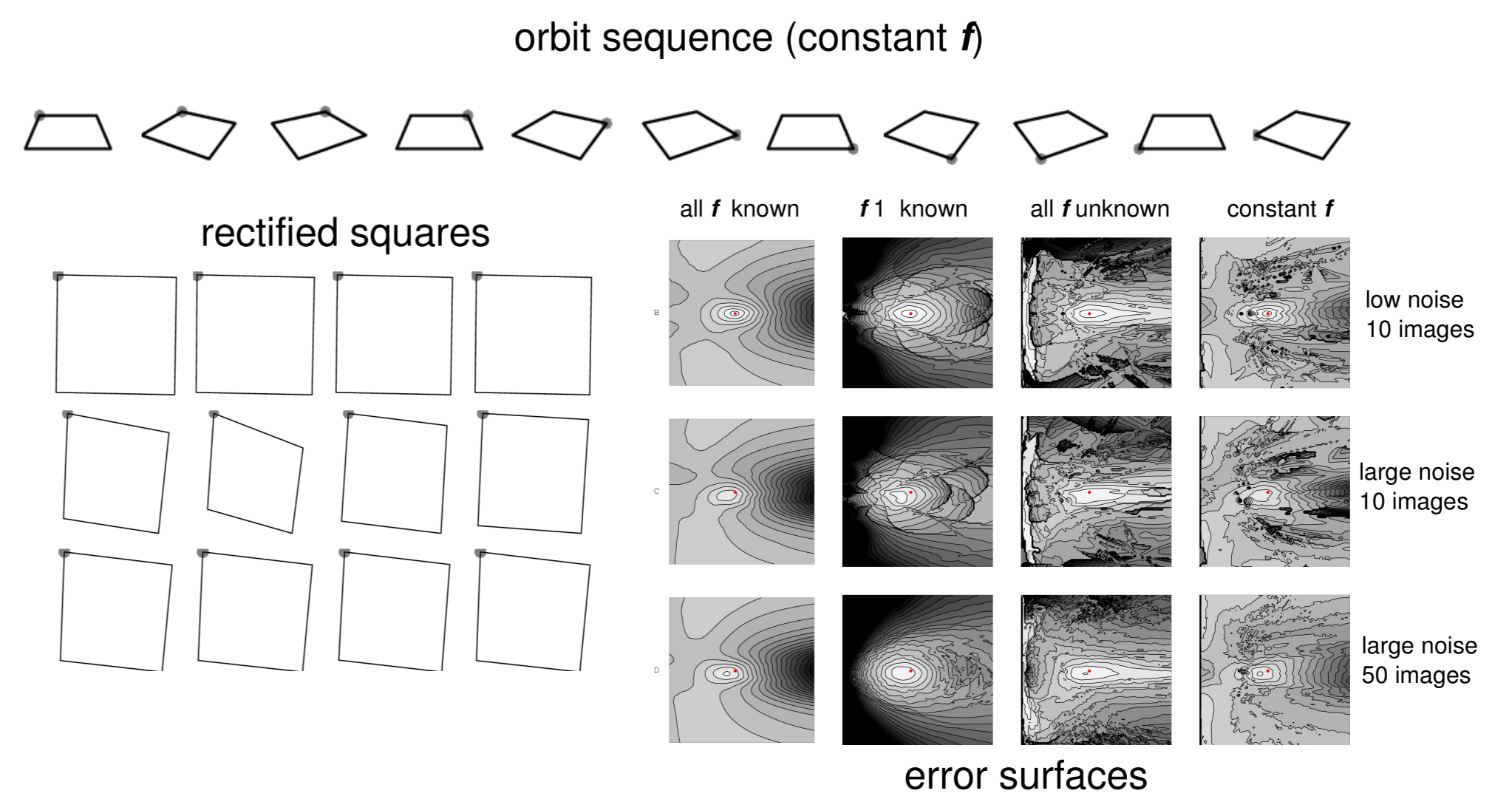
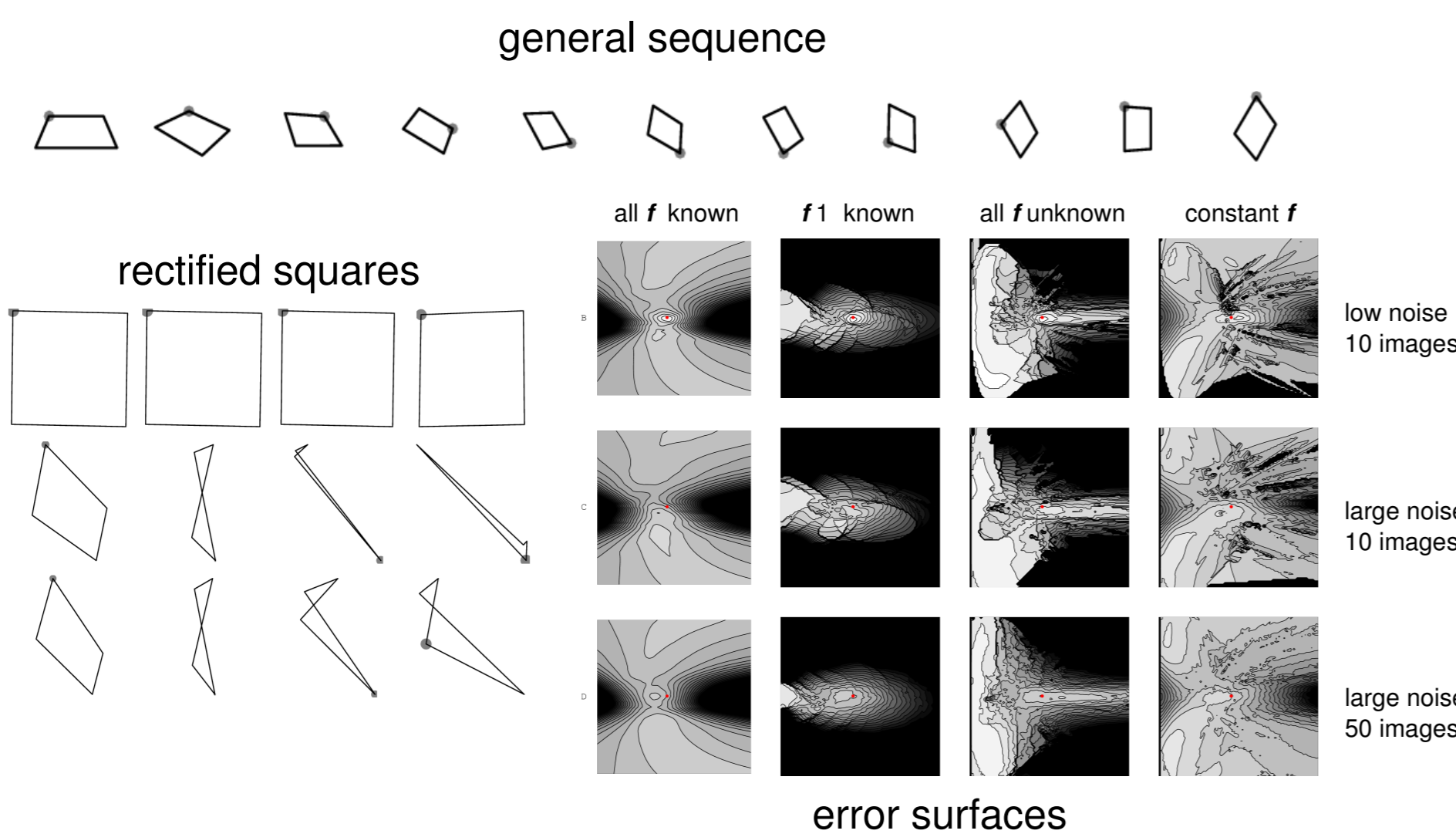
right angles induced by the horizon



## variations of the algorithm

- all  $f_k$  known (easy and fast)
- $f_1$  known (easy and quite fast)
- constant  $f$  (not so easy)
- all  $f_k$  unknown (harder)

## stability



## example

